

$$H_I = \epsilon \delta(t) S P$$

$P, q \Rightarrow q = \text{pointer variable}$

$$H(P, q) = 0$$

$$U = e^{-i \epsilon S P \Theta(t)}$$

$e^{-i \alpha P} \rightarrow \text{Displacement op of } q.$

$$e^{-i \alpha P} |q\rangle \rightarrow |q + \alpha\rangle$$

$$\int \phi(q) |q\rangle dq \rightarrow \int \phi(q - \alpha) |q\rangle dq$$

$$Q = \epsilon S \delta(t)$$

$$\underline{\phi(q) | \zeta \rangle} \Rightarrow \underline{\phi(q - \epsilon s) | \zeta \rangle}$$

$$= \sum \phi(q - \epsilon s) \langle s | \zeta \rangle | s \rangle$$

Amplitude for final meas. $| \kappa \rangle$

$$\langle \kappa | \phi(q - \epsilon s) | \zeta \rangle - \text{Ampl}$$

for finding q .

$$P = \frac{\langle \kappa | \phi(q - \epsilon s) | \zeta \rangle}{\int |\langle \kappa | \phi(q - s) | \zeta \rangle|^2 dq}$$

I f $\phi(q - \epsilon \delta)$ \hookrightarrow well approx
 by Taylor series.

$$\phi \approx \phi(q) - \epsilon \delta \partial_q \phi(q)$$

$$\langle \kappa | \phi(q) | \zeta \rangle - \epsilon \langle \kappa | \partial_q \phi(q) | \zeta \rangle$$

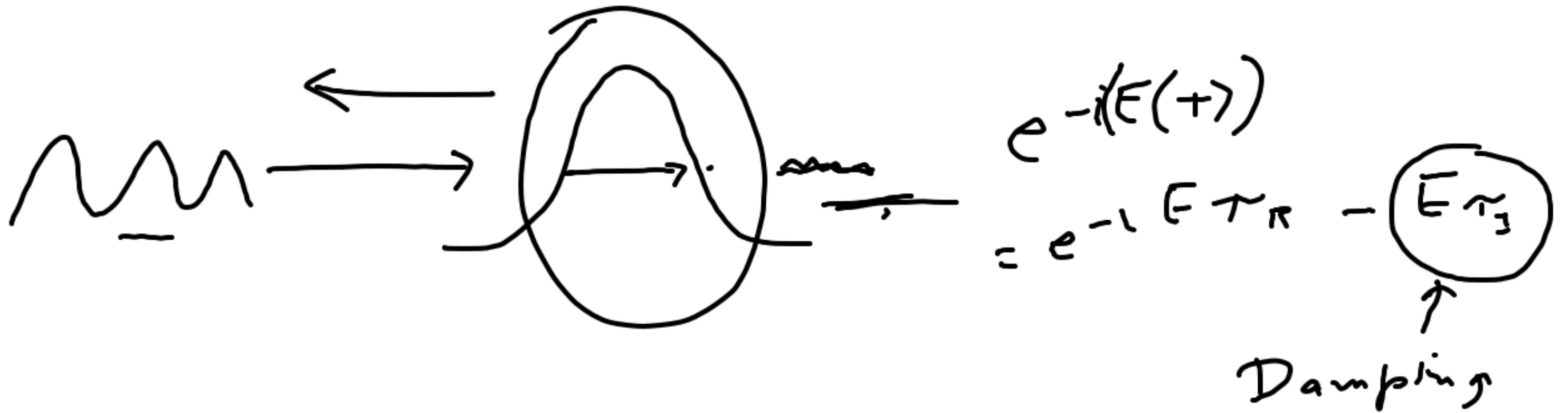
$$\approx \langle \kappa | \zeta \rangle \left[\phi(q) - \epsilon \frac{\langle \kappa | \partial_q \phi(q) | \zeta \rangle}{\langle \kappa | \zeta \rangle} \partial_q \phi(q) \right]$$

$$\approx \langle \kappa | \zeta \rangle \left[\phi(q) - \epsilon \frac{\langle \kappa | \partial_q \phi(q) | \zeta \rangle}{\langle \kappa | \zeta \rangle} \right]$$

weak value

weak value can be \gg the max

Weak value can be complex

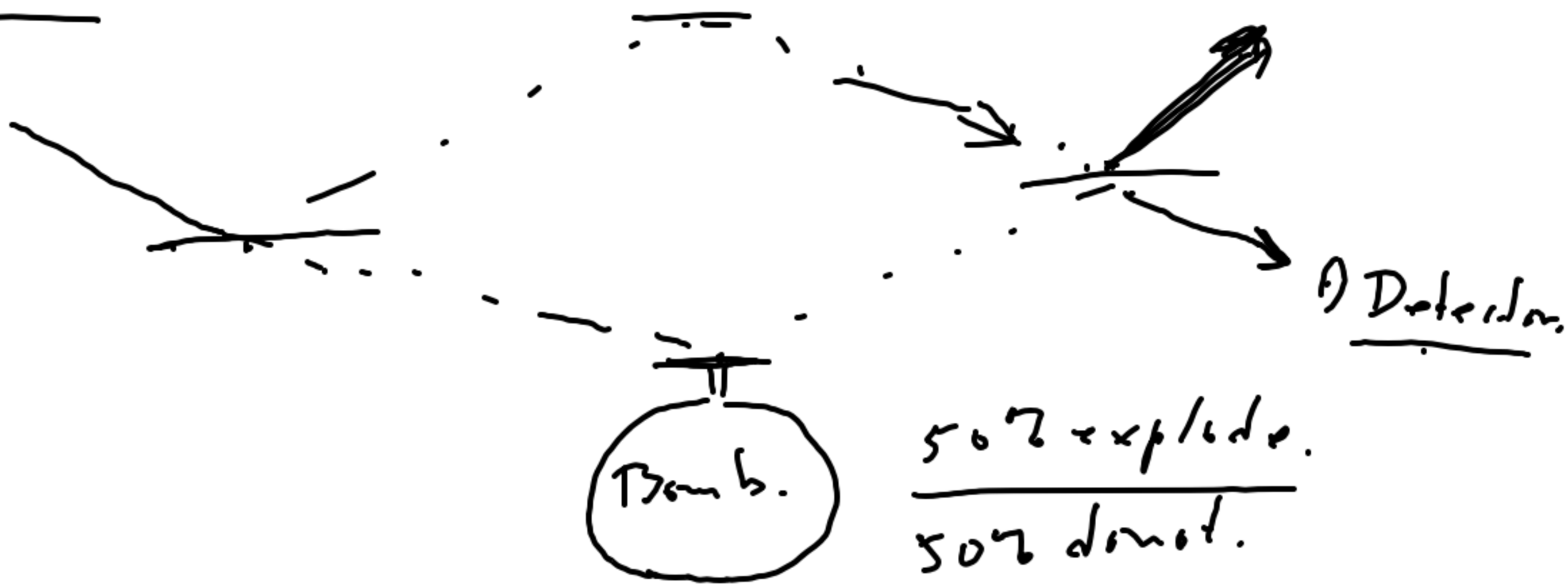


Cost: Prob of getting final result is small

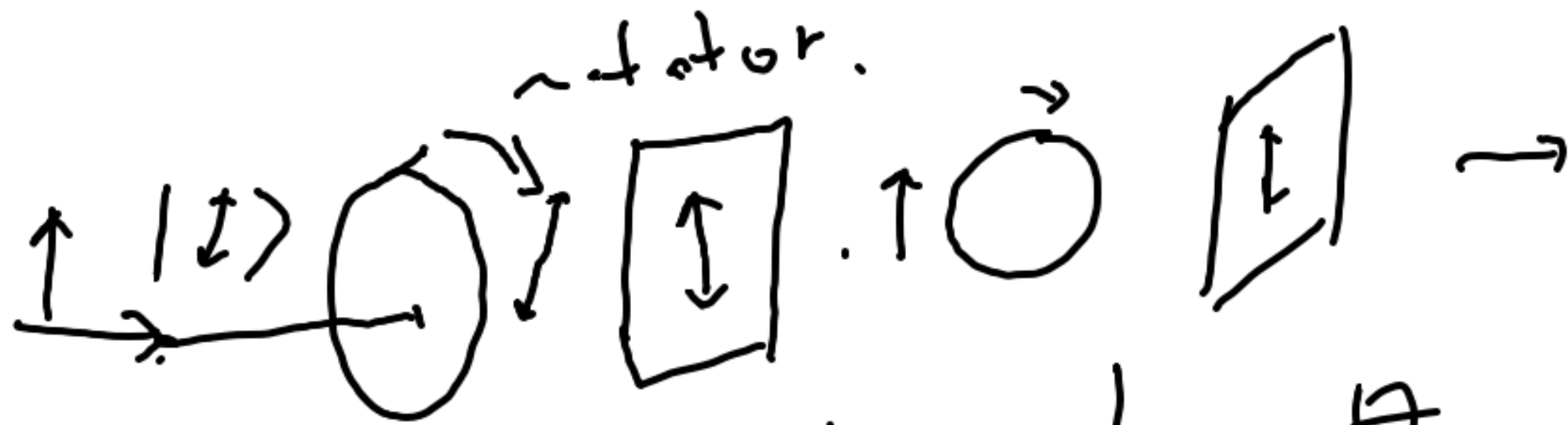
Inter-rotation free meas

of Veidman bomb.

Dicke → Elizer Veidman.



?



rotates polsm by θ
 material in which the 2 circ.
 polsm. have diff velocities

$$|\uparrow\rangle, |\leftrightarrow\rangle$$

$$|\uparrow\rangle \rightarrow \cos\theta |\uparrow\rangle + \sin\theta |\leftrightarrow\rangle$$

$$\text{Absorb } |\leftrightarrow\rangle \rightarrow \cos\theta |\downarrow\rangle$$

$$\cos^2 |\downarrow\rangle$$

If polarizer were not there
each rotator would rotate
pulse by θ after N rotors
 $N\theta$ clockwise - $\theta = \frac{\pi}{2N}$

After N rotors \rightarrow angle $\frac{\pi}{2}$ \leftrightarrow

If p.l.s. in place.
output would be 0 \downarrow
What is prob. that any photon
survives this obstacle
course?

Prob of absorption is.

$$(\sin \theta)^2 = \left(\sin \frac{\pi}{2N} \right)^2 \approx \frac{\pi^2}{4N^2}$$

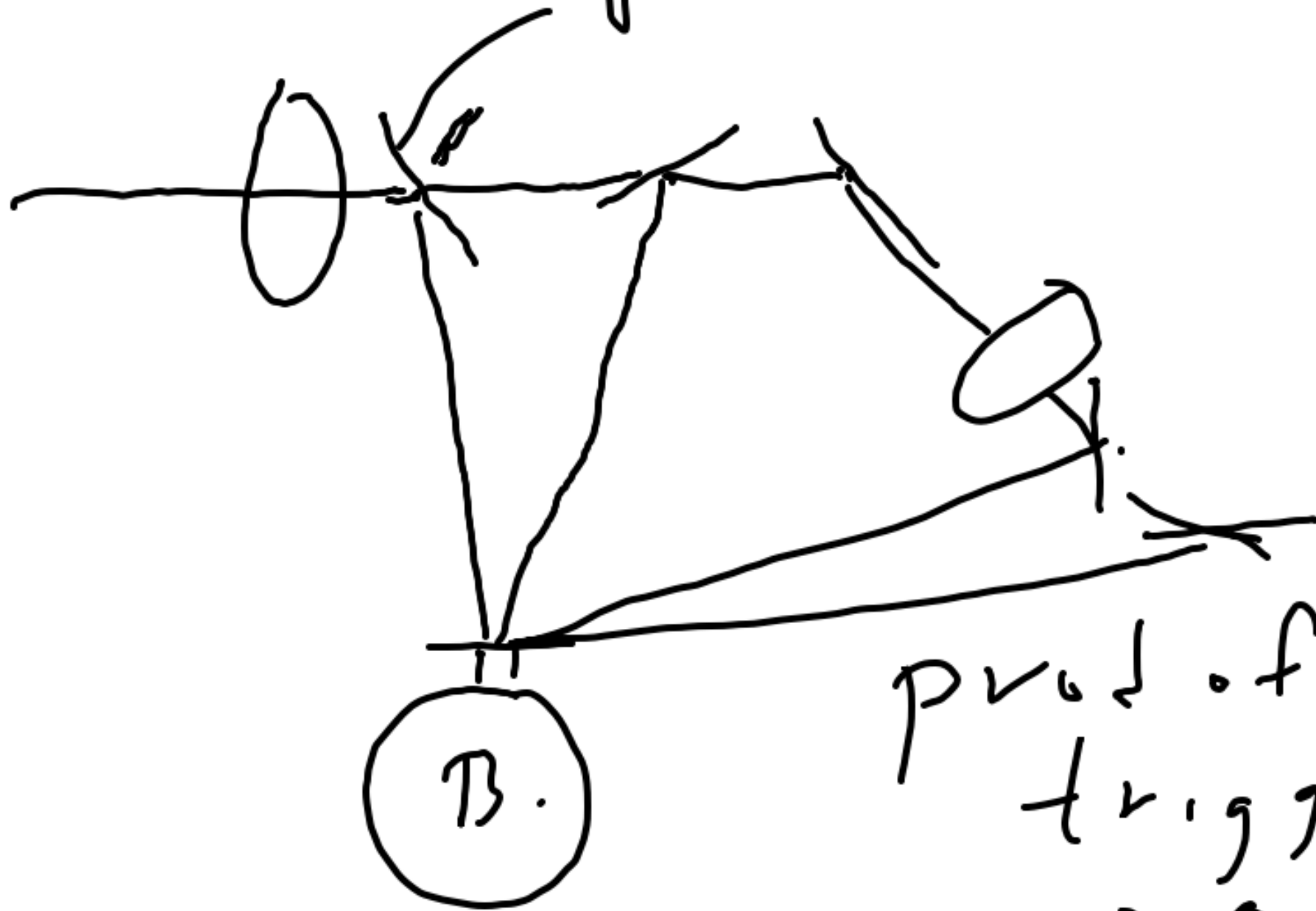
Prob of absorbing photon is

$$\left(N \sin^2 \frac{\pi}{2N} \right) \approx \frac{\pi^2}{4N} \rightarrow 0$$

as N large

output \updownarrow at \leftrightarrow
Detected the pulse without
interacting with them.

photon dep mirror.



$$\left(\cos \frac{\pi}{2N}\right)^{2N}$$

$$\approx \left[1 - \left(\frac{\pi}{2N}\right)^2\right]^{2N}$$

$$\approx \left(1 - \frac{\pi^2}{4N}\right)$$

prob of photon
triggering bomb
→ 0. But prob
of detection of
good bomb → 1



Process could have exp applications

Zeno's effect

In Q.M. If you measure

system. often. it
does not change.

(watched pot effect)
In Q.M. watched pot never
boils.)

